

# Market Power, Strategic Interaction, & Capital Market Dynamics

Winston Wei Dou

University of Pennsylvania and NBER

MFS Lecture on Modeling, Measurement, & Estimation

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## Strategic competition and financial frictions jointly shape capital market dynamics

### 1. Customer Capital

Dou\_Ji (2021); Dou\_Ji\_Reibstein\_Wu (2021); Dou\_Ji\_Reibstein\_Tian (2026)

- Customer capital shapes firm value, markups, risk, investment, & macro dynamics
- Measure customer capital from demand-side perceptions and preferences, not only supply-side investments

### 2. Strategic Competitive Interactions

Dou\_Ji\_Wu (2021, 2022); Chen\_Dou\_Guo\_Ji (2024, 2026)

- Market leaders sustain market power through strategic tactics, e.g., tacit collusion
- Market power responds to financial shocks and amplifies them across industries

### 3. “The Cost of Intermediary Market Power for Distressed Borrowers”

Dou\_Wang\_Wang (2026)

## **1. Customer Capital**

Dou\_Ji (2021); Dou\_Ji\_Reibstein\_Wu (2021); Dou\_Ji\_Reibstein\_Tian (2026)

## **2. Strategic Competitive Interactions**

Dou\_Ji\_Wu (2021, 2022); Chen\_Dou\_Guo\_Ji (2024, 2026)

## **3. Intermediary Market Power in Distressed Lending**

Dou\_Wang\_Wang (2026)

## What Is Customer Capital?

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**Customer capital is the stock of customer relationships, brand loyalty, and trust in quality that sustains future demand and market power**

- It is a form of **intangible capital**: built slowly through customer acquisition, product quality, service, trust, and brand reputation/recognition
- It is **distinct from regulated franchise value** as a source of market power
  - Regulated franchise value comes from legally protected market access, scarce infrastructure, and regulated pricing rights
- It is **not explicitly on the balance sheet**, but it is increasingly viewed as a core intangible asset and a central source of firm value
  - e.g., Dou\_Ji\_Reibstein\_Wu (2021); Belo\_Gala\_Salomao\_Vitorino (2022)

# Increasingly Central to Firm Value

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## The Three Largest US Firms in 1910

- Standard Oil
- US Steel
- Pennsylvania Railroad



## Customer Capital $\approx$ 10% Firm Value

Their market values were driven primarily by vertical integration, physical infrastructure, natural-resource control, & regulated franchises

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Their market values were driven primarily by vertical integration, physical infrastructure, natural-resource control, & regulated franchises

## The Three Largest US Firms in 2020

- Apple
- Microsoft
- Amazon

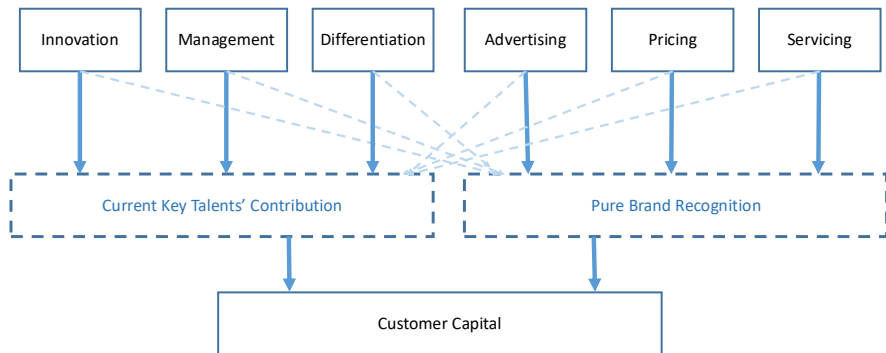


## Customer Capital $\approx$ 60% Firm Value

Their market power was **not** primarily driven by vertical integration, physical infrastructure, natural-resource control, & regulated franchises

# How Do Firms Invest in Customer Capital?

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Source: Dou, Ji, Reibstein, Wu (2021)

# How Do We Measure Customer Capital in Data?

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## A perpetual-inventory method based on supply-side investment:

$M_{i,t+1} = (1 - \delta_i)M_{i,t} + g_i(I_{i,t})$ , where  $M_{i,t}$  is capital stock and

- $I_{i,t}$  is firm  $i$ 's observed investment expenditures in capital at time  $t$
- $\delta_i$  is the depreciation rate, to be estimated
- $g_i(\cdot)$  maps  $I_{i,t}$  into newly created capital, to be estimated

## This method works well for estimating physical and organization capital

e.g., Hall (2001); Eisfeldt\_Papanikolaou (2014)

- $\delta_i$  and  $g_i(\cdot)$  are kind of homogeneous across firms (esp. within an industry)

## For customer capital, a proxy uses sales and marketing expenses

e.g., Belo\_Gala\_Salomao\_Vitorino (2022); He\_Mostrom\_Sufi (2025)

## But this proxy has two important limitations:

- It mainly captures customer capital sustained by marketing and advertising
- $\delta_i$  and  $g_i(\cdot)$  differ substantially across firms, even within industries

## Proxy Based on Demand-Side Perceptions/Preferences

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**Structural IO methods** are powerful but usually market- or segment-specific

**BAV** is one of the largest proprietary brand-perception databases

e.g., Larkin (2013); Dou\_Ji\_Reibstein\_Wu (2021); Dou\_Ji\_Reibstein\_Tian (2026)

- The survey is designed to be representative of U.S. consumers and contains more than **2.5 million respondents** on about **68,000 brands**
- **Measure customer capital with “brand stature”**

$$\text{Brand stature}_{i,t} = \text{Esteem}_{i,t} \times \text{Knowledge}_{i,t},$$

Esteem  $\approx$  how highly consumers regard the brand

Knowledge  $\approx$  consumers' familiarity with the brand

- **Measure talent-dependent customer capital with “brand strength”**

$$\text{Brand strength}_{i,t} = \text{Differentiation}_{i,t} \times \text{Relevance}_{i,t},$$

Energized differentiation  $\approx$  how much consumers see the brand as innovative, unique, distinctive, different, & dynamic

Relevance  $\approx$  how much consumers find the brand relevant to them

## External Validation I

The talent-dependence of customer capital:

$$\text{ICC} \equiv \frac{\text{Brand strength}}{\text{Brand stature}}$$

	ln(ICC) <sub>t</sub>				
	(1)	(2)	(3)	(4)	(5)
ln(administrative expenses/sales) <sub>t-3:t-1</sub>	0.13*** [2.97]				
ln(R&D/sales) <sub>t-3:t-1</sub>		0.26*** [5.76]			
ln(executive compensation/sales) <sub>t-3:t-1</sub>			0.25*** [6.47]		
ln(advertising expenditures/asset) <sub>t-3:t-1</sub>				-0.09** [-2.48]	
ln(OC/asset) <sub>t-3:t-1</sub>					-0.04 [-1.31]
Firm controls	Yes	Yes	Yes	Yes	Yes
Industry FEs & Year FEs	Yes	Yes	Yes	Yes	Yes
Observations	5,300	2,695	5,086	4,329	5,594
R <sup>2</sup>	0.386	0.468	0.411	0.413	0.382

Source: Dou, Ji, Reibstein, Wu (2021)

## External Validation II

1. High-ICC firms lose more customer capital after talent turnover
2. ICC declines after talent turnover

	Customer growth <sub>t:t+2</sub>		Sales growth <sub>t:t+2</sub>		Asset growth <sub>t:t+2</sub>		ΔICC <sub>t:t+2</sub>	
	(1)	(2)	(3)	(4)	(5)	(6)	(7)	(8)
$\ln(\text{ICC})_{t-1}$	-0.04*	-0.05**	-0.04**	-0.03*	-0.07**	-0.06**		
× Turnover <sub>t</sub>	[-1.80]	[-1.98]	[-2.40]	[-1.79]	[-2.32]	[-2.30]		
Turnover <sub>t</sub>	-0.01	-0.02	-0.07***	-0.06***	-0.11***	-0.10***	-0.18***	-0.16**
	[-0.63]	[-1.01]	[-3.65]	[-3.30]	[-4.51]	[-3.68]	[-2.70]	[-2.40]
$\ln(\text{ICC})_{t-1}$	0.14***	0.15***	0.07***	0.03***	0.07***	0.03*		
	[17.60]	[17.02]	[5.92]	[3.01]	[3.89]	[1.75]		
Firm controls	No	Yes	No	Yes	No	Yes	No	Yes
Industry FEs	Yes	Yes	Yes	Yes	Yes	Yes	Yes	Yes
Year FEs	Yes	Yes	Yes	Yes	Yes	Yes	Yes	Yes
Observations	3, 709	3, 525	4, 523	4, 285	4, 523	4, 285	4, 059	3, 855
R <sup>2</sup>	0.440	0.443	0.170	0.233	0.135	0.211	0.099	0.108

Source: Dou, Ji, Reibstein, Wu (2021)

## Modeling Customer Capital: Demand Capacity

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**Traditional model without customer capital:** demand is not a separate constraint, so sales ( $S_{i,t}$ ) equal production ( $Y_{i,t}$ ):

$$S_{i,t} = Y_{i,t}, \quad Y_{i,t} = F(K_{i,t}, L_{i,t})$$

**Customer capital is modeled as a stock of demand capacity**

e.g., Gourio\_Rudanko (2014); Dou\_Ji\_Reibstein\_Wu (2021)

$$S_{i,t} = \min\{Y_{i,t}, M_{i,t}\}, \quad Y_{i,t} = F(K_{i,t}, L_{i,t})$$

- $M_{i,t}$  is the firm's stock of customer capital
- It limits how much the firm can sell, even if production capacity is high
- Customer capital grows through costly customer acquisition:

$$M_{i,t+1} = (1 - \delta)M_{i,t} + g(l_{i,t})$$

- $g(l_{i,t})$  builds customer relationships;  $\delta$  captures depreciation

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# Price Elasticity and Strategic Interaction

## Demand capacity alone does not imply markups or market power

- Customer capital generates markups by shaping firm-level demand elasticity and strategic competitive interaction

## Customer capital can be modeled as **firm-specific demand persistence**

e.g., Phelps\_Winter (1970); Ravn\_Schmitt-Grohé\_Urbe (2006)

- **Demand capacity constraint** (Dou\_Ji, 2021; Dou\_Ji\_Wu, 2021, 2022)

$$S_{i,t} = \min\{Y_{i,t}, C_{i,t}\}, \quad Y_{i,t} = F(K_{i,t}, L_{i,t})$$

In CES demand, customer capital  $M_{i,t}$  acts as a persistent demand weight

$$C_{i,t} = \frac{M_{i,t}}{M_t} \left( \frac{P_{i,t}}{P_t} \right)^{-\eta} C_t, \quad \text{with } P_t = \left[ \sum_{j=1}^I \frac{M_{j,t}}{M_t} P_{j,t}^{1-\eta} \right]^{\frac{1}{1-\eta}} \quad \text{and } M_t = \sum_{i=1}^I M_{i,t}$$

Industry demand is downward sloping in the industry price index:

$$C_t = M_t P_t^{-\varepsilon}$$

Customer capital accumulation process of firm  $i$ :

$$M_{i,t} = \left[ 1 + \alpha (C_{i,t}/M_{i,t})^h - \delta \right] M_{i,t-1} + g(l_{i,t-1})$$

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# Leaders Sustain Market Power via Strategic Interaction

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## Product markets are highly concentrated; so are some asset markets

- Product & asset market evidence: Gabaix (2011); Gutiérrez.Philippon (2017); Autor.Dorn.Katz.Patterson.Reenen (2020); Loecker.Eeckhout.Unger (2020); Dou.Ji.Wu (2021); Gabaix.Gopikrishnan.Plerou.Stanley (2006); Bryzgalova.Pavlova.Sikorskaya (2025); Dou.Wang.Wang (2026)

## Market leadership is highly persistent

- Product & asset markets: Geroski.Toker (1996); Sutton (2007); Bronnenberg.Dhar.Dubé (2009); Bryzgalova.Pavlova.Sikorskaya (2025); Dou.Wang.Wang (2026)

⇒ Strategic competitive interaction (tacit collusion) naturally emerges

## Modern IO: strategic competitive interaction, such as tacit collusion, is an important source of market power

e.g., Harrington.Skrzypacz (2011); Miller.Weinberg (2017); Miravete.Seim.Thurk (2018)

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## Traditional framework: **non-collusive Nash equilibrium**

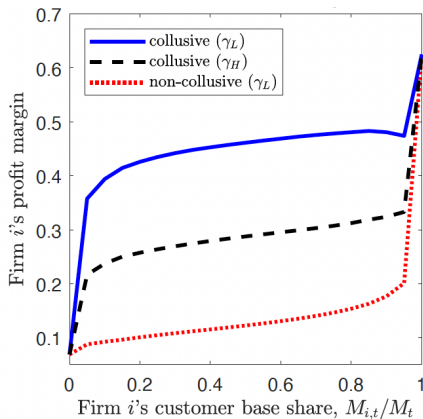
- Market leaders do not internalize the impact of their decisions on others
- Market power comes only from concentration and demand elasticity

## Extension: **tacit collusion in a collusive equilibrium**

- Market leaders sustain supra-competitive profits in repeated interaction
- Each market leader has a short-run incentive to deviate
- Tacit collusion is sustained if **deviation gains  $\leq$  future punishment losses**
- Grim-trigger punishment: Reversion to non-collusive competition
- It differs economically and legally from **perfect cartel** via **explicit collusion**

**Insight: Lower discount rates strengthen tacit collusion and market power**

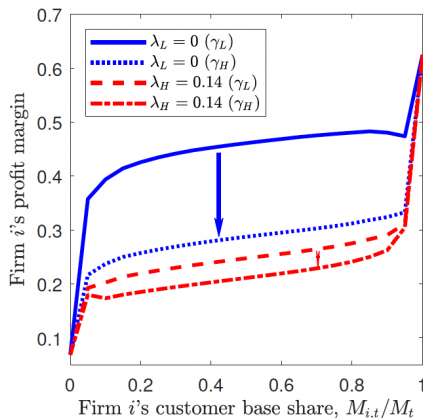
# Impact of Discount Rates on Market Power



- Higher  $M_{i,t}/M_t$  leads to greater market power (and higher margins)
- Tacit collusion further amplifies market power (and profit margins)
- A higher discount rate,  $\gamma_L \rightarrow \gamma_H$ , makes tacit collusion harder to sustain
- The discount rate has no direct effect on non-collusive market power

Source: Dou\_Ji\_Wu (2021)

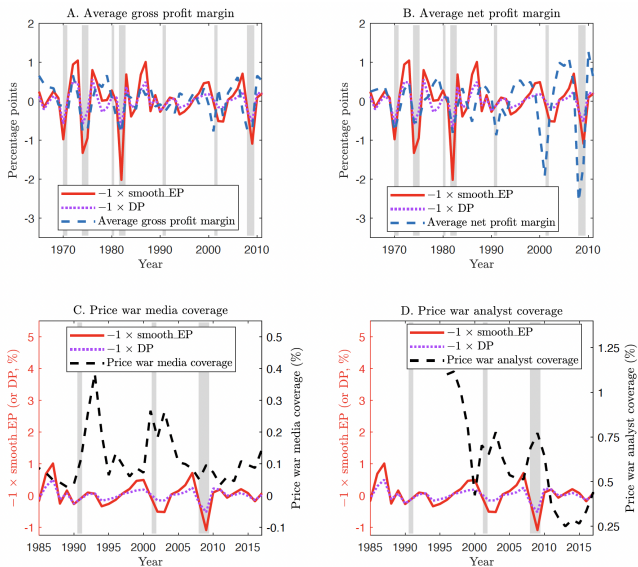
## Stronger with Lower Leadership Turnover (More Persistent Leadership)



- More persistent leadership,  $\lambda_H \rightarrow \lambda_L$ , raises endogenous price-war risk

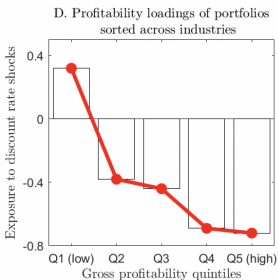
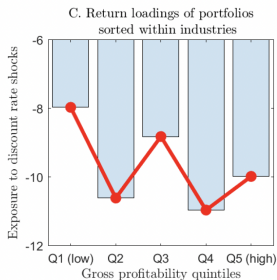
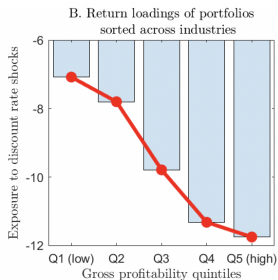
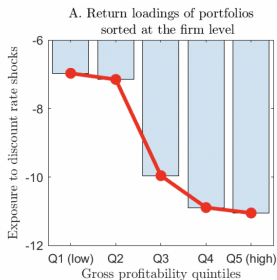
Source: Dou.Ji.Wu (2021)

# Market Power and Discount Rates over Time



Source: Dou\_Ji\_Wu (2021)

# Gross Profitability Premium: Heterogeneous Discount-Rate Exposure

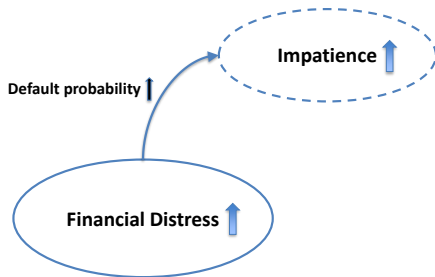


Source: Dou, Ji, Wu (2021)

# Further Introducing Leverage and Financial Distress

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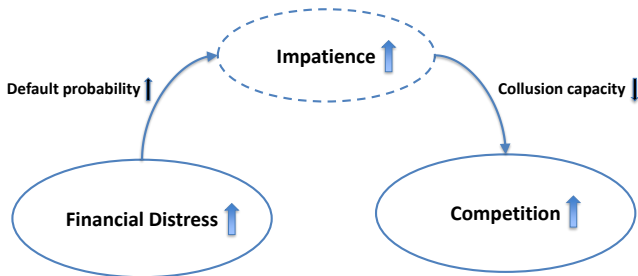
The competition-distress feedback  $\implies$  A novel source of financial distress costs



Source: Chen\_Dou\_Guo\_Ji (2024)

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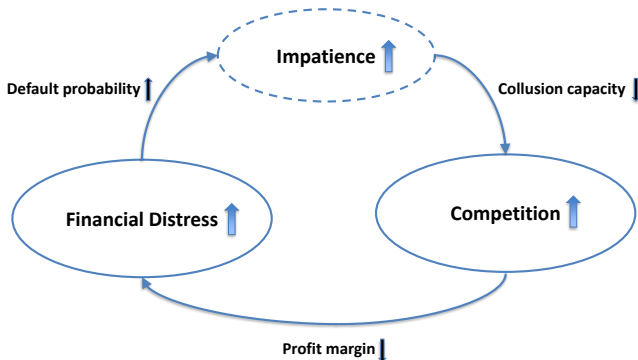
**Impatience**  $\uparrow \implies$  **Collusion capacity**  $\downarrow$

- Fudenberg-Maskin (1986)'s version of "folk theorem"

Source: Chen\_Dou\_Guo\_Ji (2024)

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## **Financial distress & bankruptcy costs have important macro implications**

e.g., Jermann\_Quadrini (2012), Arellano\_Bai\_Kehoe (2012), Khan\_Thomas (2013), Gomes\_Schmid (2021), Gilchrist\_Sim\_Zakrajšek (2014), Corbae\_D'Erasmus (2021)

- Determining the ex-ante cost of financial distress for the corporate sector
  - ⇒ Shaping cost of capital and thus capital allocation efficiency
  - ⇒ Affecting industry dynamics, investments, and employment

**Bankruptcy frictions:** Value destruction due to stakeholder conflicts, asymmetric information, and judicial discretion or inexperience

e.g., Corbae\_D'Erasmus (2021); Dou\_Taylor\_Wang\_Wang (2021)

**Liquidity in distress/bankruptcy:** It buys restructuring time, accelerates resolution, preserves going-concern value, strengthens bargaining power, and prevents fire sales

e.g., Asquith\_Gertner\_Scharfstein (1994); Gilson (1997); Dahiya\_John\_Puri\_Ramírez (2003)

**This paper:** High financing costs due to lender market power reduce survival-critical liquidity by 16–20%, worsening value destruction in distress and bankruptcy

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### Quantifying the risk-adjusted loan yield spread and dissecting it into:

Risk-adjusted loan yield spread

- = the private cost incurred by lenders in making loans,  
(e.g., search, screening, monitoring, & information production costs)
- + the markup due to blocking power & concentration
- + the markup due to tacit collusion of specialized lenders

### Empirical challenges:

- (1) Lenders' loan-making costs are largely unobservable
- (2) Latent confounders create endogeneity in estimating demand and supply
  - Unobserved heterogeneity in distressed borrowers' demand curves
  - Valid instruments are very difficult, if not impossible, to find
- (3) Collusion capacity is unobservable and lacks reliable empirical proxies

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**A granular dataset of distressed loans**, including detailed information on

- Loan yields, contractual terms, fees, loan sizes, lender participation, and bid-ask spreads in secondary loan markets
- CDS spreads for corporate bonds, industry-year bond and loan recovery rates

**Embedding these data in a game-theoretic model**, capturing both

- Strategic interactions of lenders' supply + latent heterogeneity in borrowers' demand
- Collusive and non-collusive equilibria coexist within a coherent unified framework

**Closed-form solutions**  $\Rightarrow$  **Bayesian MCMC estimation with latent variables**

- Bayesian MCMC is well suited here because it treats latent demand heterogeneity as unobserved variables and jointly samples it with the structural parameters
  - It differs from the BLP with single-equation estimation + IVs
- Matlab code for teaching is available on the authors' websites

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- Bayesian MCMC is well suited here because it treats latent demand heterogeneity as unobserved variables and jointly samples it with the structural parameters
  - It differs from the BLP with single-equation estimation + IVs
- Matlab code for teaching is available on the authors' websites

**A granular dataset of distressed loans**, including detailed information on

- Loan yields, contractual terms, fees, loan sizes, lender participation, and bid-ask spreads in secondary loan markets
- CDS spreads for corporate bonds, industry-year bond and loan recovery rates

**Embedding these data in a game-theoretic model**, capturing both

- Strategic interactions of lenders' supply + latent heterogeneity in borrowers' demand
- Collusive and non-collusive equilibria coexist within a coherent unified framework

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## Two Distressed Loan Markets

### Two loan markets for distressed corporate borrowers:

- **Debtor-in-possession (DIP) loans:** Borrowers undergoing Chapter 11 bankruptcy
- **Highly-speculative loans:** S&P rating  $\leq$  CCC+ or five-year CDS spread  $\geq$  10%

	Highly speculative loans	DIP loans
Definition	Loans to distressed firms (not in bankruptcy)	Loans to bankrupt firms (Chapter 11)
Use of proceeds	Working capital and capital investment	Working capital and legal expenses
Maturity (months)	49	11
Loan size/assets	0.130	0.107
Number of major lenders (syndication)	3.79	2.29
Risk-adjusted loan spread (bps)	308	711

Note: Highly speculative loans (2001 - 2017) and DIP loans (2002 - 2019)

Note: Load spreads are after removing the credit spread and liquidity premium components

# Concentrated Markets

## A. Names of specialized lenders

Rank	DIP loan market		Highly-speculative loan market	
	Lender name	# of deals	Lender name	# of deals
1	Wells Fargo	96	Bank of America	183
2	Bank of America	88	JP Morgan Chase	179
3	JP Morgan Chase	88	Wells Fargo	122
4	GE Capital	82	Citigroup	103
5	Citigroup	67	Credit Suisse	103
6	Deutsche Bank	41	Deutsche Bank	100
7	Credit Suisse	3	Goldman Sachs	60
8	Wachovia Bank	28	Wachovia Bank	28
9	Wilmington Trust	27	GE Capital	56
10	CIT Group	21	Wachovia Bank	53

## B. Three loan types

Lender type	DIP loans				Highly-speculative loans			
	# of deals	# frac.	\$ of deals	\$ frac.	# of deals	# frac.	\$ of deals	\$ frac.
Type 1: Existing creditor	56	12.80%	5	4.90%	50	11.49%	12	5.45%
Type 2: Specialized lender	334	76.60%	94	92.16%	332	76.32%	199	90.45%
Type 3: Lender of last resort	46	10.60%	3	2.94%	53	12.18%	9	4.10%
Total	436	100%	102	100%	435	100%	220	100%

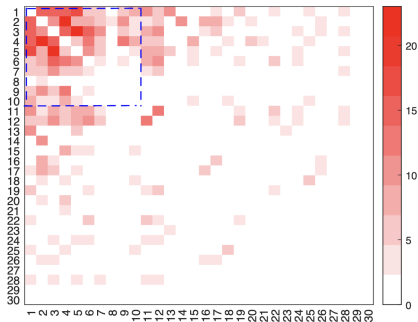
Note: The loan size are measured by constant 2019 dollars and presented in the unit of billion dollars

Note: Existing creditor loans are those with one major lender who is an existing but not specialized lender

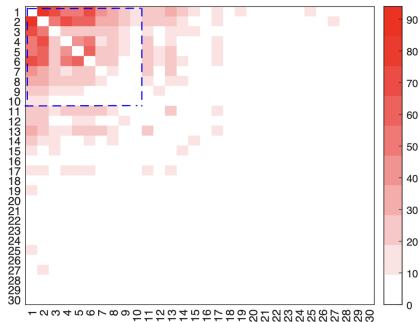
Note: Lender-of-last-resort loans are those with over 50% of the major lenders as HFs and PEs

# Syndication Interaction Intensity

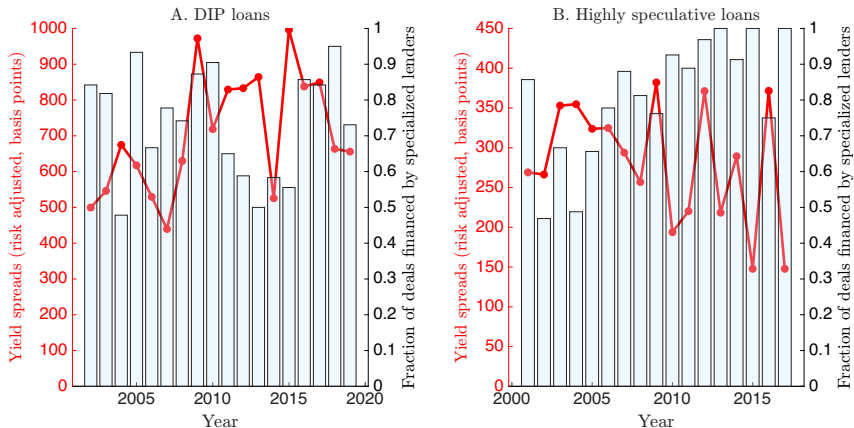
(a) DIP loans



(b) Highly-speculative loans

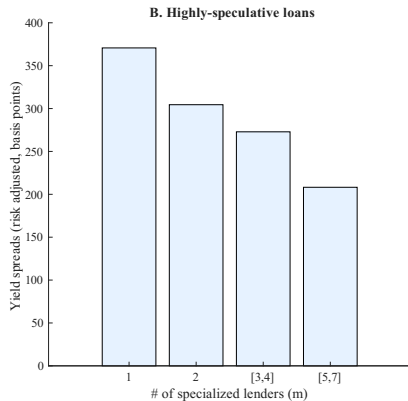
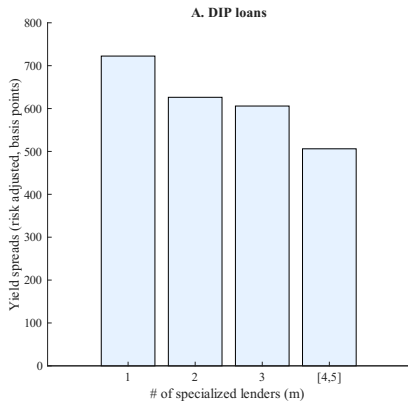


# Ultra-High Risk-Adjusted Loan Spreads



Note: The curves represent the average risk-adjusted loan spread per year, and the bars represent the fraction of deals financed by the 10 specialized lenders per year

# Lender Competition



## Demand side (distressed corporate borrowers)

- An iso-elastic demand curve for a borrower type  $k \in \{1, \dots, K\}$ :

$$\ln(L/A) = \alpha_k - \varepsilon_k \ln(R) + \sigma z$$

- $L$  = loan size
  - $A$  = asset size
  - $R$  = risk-adjusted loan spread
  - $\alpha_k$  = latent demand curve level
  - $\varepsilon_k$  = latent elasticity
  - $z$  = borrower-specific demand shock
- 
- **A latent-variable model**
    - Borrower type  $k$  is **latent** to econometricians
    - More flexible than standard BLP parallel shifts

# Supply of Loans

---

## Supply side (institutional lenders)

- There are 3 types of lenders: *existing, specialized, last-resort*

(1) An existing creditor: Monopolistic lending with marginal costs  $e^{\phi_1 + \varsigma u}$

(2)  $M$  specialized lenders: Cournot competition with potential tacit collusion and marginal costs  $e^{\phi_2 + \varsigma u}$

- Specialized lender's dis-utility of participating syndication is  $w$ , which is private information and distributed as

$$w \sim \mu e^{-w/\mu}, \text{ where } \mu \text{ captures how difficult to participate}$$

(3) A lender of last resort: Monopolistic lending with marginal costs  $e^{\phi_3 + \varsigma u}$

- Marginal costs:  $u =$  deal-specific cost
- Nicely, the game should be played out in a sequential way

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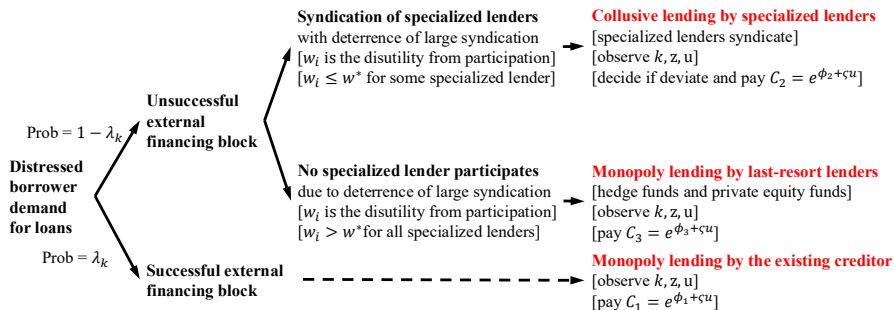
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# Model Timeline



## Intuition for Tacit Collusion in Syndicated Loans

---

**Suppose  $m$  specialized lenders endogenously choose to participate in the syndication (an endogenous outcome)**

- Collusive equilibrium: small loan size + high spread  $\Rightarrow$  greater revenues
- Non-collusive equilibrium: large loan size + low spread  $\Rightarrow$  smaller revenues

Collusion is preferred by specialized lenders, subject to the IC constraints

- Collusion is sustained by punishment for deviation:

Reversion to non-collusive Nash equilibrium with a probability  $\xi$

where  $\xi$  captures collusion capacity

- The IC constraint to prevent deviation is

Short-run profits of deviation  $\leq$  Long-run loss of cooperation value

Equilibrium path: The IC constraint is binding state by state

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## Data Sample

---

### DIP loan sample (2002-2019)

- Data sources: UCLA-LoPucki BRD, Bankruptcydata.com, PACER, and Dealscan
- Our sample: 436 loan facilities

### Highly speculative loan sample (2001-2017)

- Data sources: IHS Markit, Compustat, Dealscan
- How to identify distressed loans?
  - *Step #1*: 5Y CDS Spread > 1,000 bps or rating  $\leq$  CCC+, whichever first, as the start of a distressed period
  - *Step #2*: 5Y CDS Spread < 500 bps, rating > B-, default, or bankruptcy, whichever first, as the end of a distressed period
  - *Step #3*: Merge distressed periods with Dealscan
- Our sample: 435 loan facilities

### LPC Loan Pricing Data

NYU-Salomon Center Default database + Moody's Default and Recovery database

## Latent variables to estimate:

- Clustering: identify the demand curve, labeled as  $k$ , each borrower belongs to

## Model parameters to estimate:

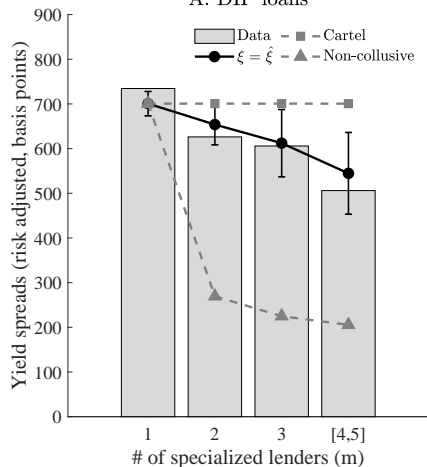
- Heterogeneous demand curve:  $\alpha_k$  and  $\varepsilon_k$  for  $k \in \{1, \dots, K\}$
- Punishment on deviation (collusion capacity):  $\xi \in [0, 1]$
- Blocking external funding access (blocking power):  $\lambda_k$  for  $k \in \{1, \dots, K\}$
- Participation dis-utility (blocking power):  $\mu$
- Variable cost:  $\phi_\ell$  for  $\ell \in \{1, 2, 3\}$

## Bayesian MCMC estimation:

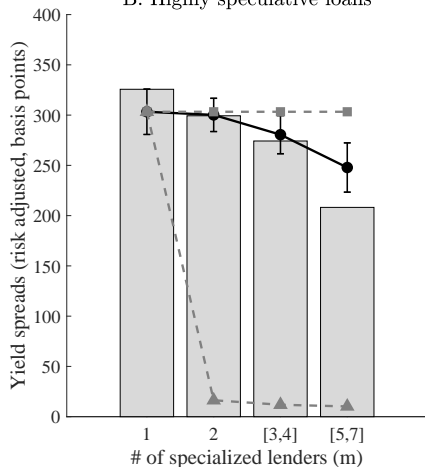
- Utilize the observables: lender type, lender number, loan size, loan prices
- Estimate the posterior of latent demand heterogeneity  $k$  and model parameters

# Identification for $\xi$

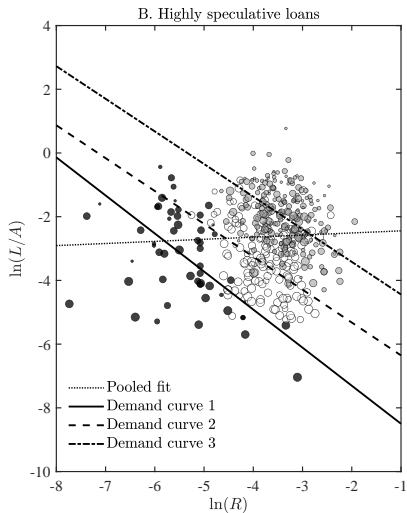
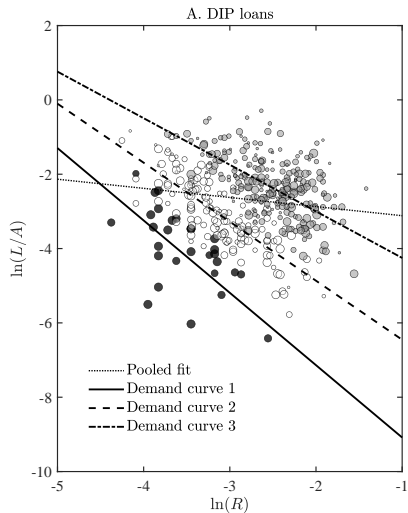
A. DIP loans



B. Highly speculative loans



# Demand Curve Estimation

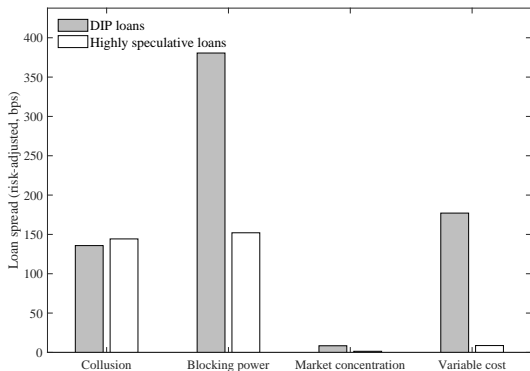


# Parameter Estimates

		DIP loans			Highly speculative loans			
General parameters								
$\xi$	$\sigma$	$\varsigma$	$\mu$	$\xi$	$\sigma$	$\varsigma$	$\mu$	
0.492 (0.094)	0.664 (0.046)	0.430 (0.020)	34.81 (4.67)	0.527 (0.031)	1.021 (0.035)	0.532 (0.016)	27.95 (2.48)	
Lender-specific parameters								
$e^{\phi_l}$	Existing creditor	Specialized lender	Last-resort lender	$e^{\phi_l}$	Existing creditor	Specialized lender	Last-resort lender	
	0.0149 (0.0035)	0.0158 (0.0036)	0.0197 (0.0045)		0.0008 (0.0002)	0.0007 (0.0001)	0.0009 (0.0002)	
Borrower-specific parameters								
	Demand curve 1	Demand curve 2	Demand curve 3		Demand curve 1	Demand curve 2	Demand curve 3	
$\alpha_k$	-11.031 (1.516)	-8.041 (0.530)	-5.505 (0.129)	$\alpha_k$	-9.694 (0.472)	-7.386 (0.112)	-5.465 (0.101)	
$\varepsilon_k$	1.947 (0.287)	1.588 (0.108)	1.253 (0.040)	$\varepsilon_k$	1.195 (0.076)	1.032 (0.008)	1.024 (0.006)	
$\lambda_k$	0.036 (0.041)	0.150 (0.164)	0.119 (0.043)	$\lambda_k$	0.124 (0.062)	0.049 (0.019)	0.157 (0.024)	
$\gamma_k$		2.759 (1.502)	3.221 (1.114)	$\gamma_k$		0.607 (0.577)	1.633 (0.209)	
$\beta_k$		-1.011 (0.508)	-1.510 (0.298)	$\beta_k$		0.893 (0.330)	-0.403 (0.171)	

Note: Greater variable costs in the DIP market; Consistent with the intuition:  $\phi_1 \leq \phi_2 \leq \phi_3$

# Counterfactual Analysis: Decomposition of Loan Spreads



## Sources of Loan Spread:

Collusion ( $\xi \rightarrow 0$ );

Blocking power ( $\mu \rightarrow 0$  and  $\lambda_k \rightarrow 0$ );

Market concentration ( $M \rightarrow \infty$ );

Variable costs ( $\exp(\phi_i) \rightarrow 0$ ).

- Collusion contributes over 140 bps to the loan spreads as markups in both markets
- Existing creditors' blocking power is substantial, especially in the DIP loan market
- Market power remains large even when market concentration is low
- Much larger marginal costs of making loans in the DIP loan market
- Lender market power drains survival-critical liquidity by 20% in DIP and 16% in highly speculative loans

## Endogenous market power from strategic competitive interactions

- Links discount rates to firms' cash-flow dynamics in capital markets
- Generates a crucial source of distress costs through competition–distress feedback

## Market power of dominant investors in asset markets

- Distorts asset prices away from risk-based fundamentals
- Drains survival-critical liquidity from distressed firms, amplifying value destruction
- Creates a major source of distress costs through lender market power

## Measuring customer capital and estimating demand

- **BAV** provides survey-based measures of customer capital
- **Bayesian MCMC** jointly learns latent demand heterogeneity and parameter values